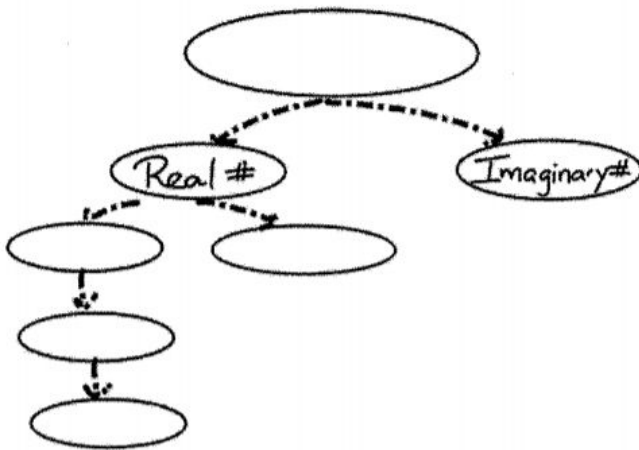


Honors Algebra 2

Name \_\_\_\_\_

4.6 Perform Operations with Complex Numbers

How do you solve:  $x^2 + 16 = 0$ ?



The imaginary unit,  $i$ , can be used to describe the square roots of negative numbers.

$$i = \sqrt{-1}$$

$$i^2 =$$

When there is a negative radicand under a square root, you must take out  $i$  before simplifying or performing operations!

Simplify:

1. $\sqrt{-9}$	2. $\sqrt{-12}$	3. $\sqrt{-72}$
4. $-3i \cdot 8i$	5. $\sqrt{-6} \cdot \sqrt{-10}$	6. $(3\sqrt{-5})^2$

Solve.

7. $4x^2 + 36 = 0$	8. $3x^2 + 40 = -x^2 - 56$	9. $(x-3)^2 = -12$
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A **complex number** is a number that can be written in the form  $a + bi$ , where  $a$  &  $b$  are real numbers and  $i$  is the imaginary unit.

- $a$  is called the real part and  $bi$  is called the imaginary part of the complex number.
- When writing complex numbers, the real part should be written first (standard form).
- When adding or subtracting complex numbers, combine the real parts and the imaginary parts. For example,  $(a + bi) - (c + di) = (a - c) + (b - d)i$ .

Simplify.

10. $(8 - 5i) + (2 + i)$	11. $(4 + 7i) - (2 + 3i)$	12. $(4 + 2i)(3 - 5i)$
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When dividing, an imaginary number cannot be left in the denominator (remember  $i$  is the square root of  $-1$  and we have a rule to not leave any roots in a denominator). To eliminate the imaginary number in the denominator, multiply by the complex conjugate.

The complex conjugate of  $a + bi$  is: \_\_\_\_\_.

Simplify.

13. $\frac{5}{1+i}$	14. $\frac{5+2i}{3-2i}$	15. $\frac{2+i}{3i}$
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